

TEMPLE

MATH CLUB

**Series Expansions from
Orthogonal Functions –
Katharine Ott**

WHEN

March 28, 2024

5-6 PM

WHERE

Wachman Hall 617

A series expansion expresses a given function as an infinite sum of simpler functions. Given an orthogonal basis of functions, one can compute a series expansion with a tool from linear algebra: orthogonal projections. Fourier series are a well-known example of this procedure, where the orthogonal basis of functions is the set $\{1, \sin(x), \cos(x), \sin(2x), \cos(2x), \dots\}$. Taylor series, introduced in Calculus II, are a seemingly different kind of series expansion. Taylor series are assembled using the simple functions $\{1, x, x^2, \dots\}$ but this set is not orthogonal. Is there any relationship between orthogonal series expansions and Taylor series? This talk will explore this question using ideas from calculus and linear algebra.

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